

Radio emission from stellar bowshocks in massive runaway stars

Santiago del Palacio
Chalmers University of Technology

Stellar winds

Massive stars launch **powerful, hypersonic winds**. The study of interactions of stellar winds and shock physics include:

- ◇ stellar bubbles
- ◇ **stellar bow shocks**
- ◇ colliding-wind binaries
- ◇ microquasars

$$\left\{ \begin{array}{l} \dot{M} \sim 10^{-6} M_{\odot} \text{ yr}^{-1} \\ v_{\infty} \sim 1000 \text{ km s}^{-1} \end{array} \right\}$$



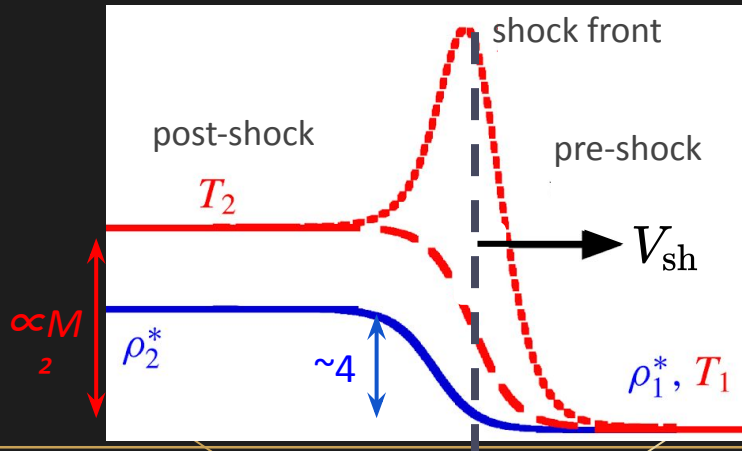
$$\left\{ \begin{array}{l} P_{\text{kin}} \sim 10^{36} \text{ erg s}^{-1} \\ E \sim 10^{50} \text{ erg} \end{array} \right\}$$



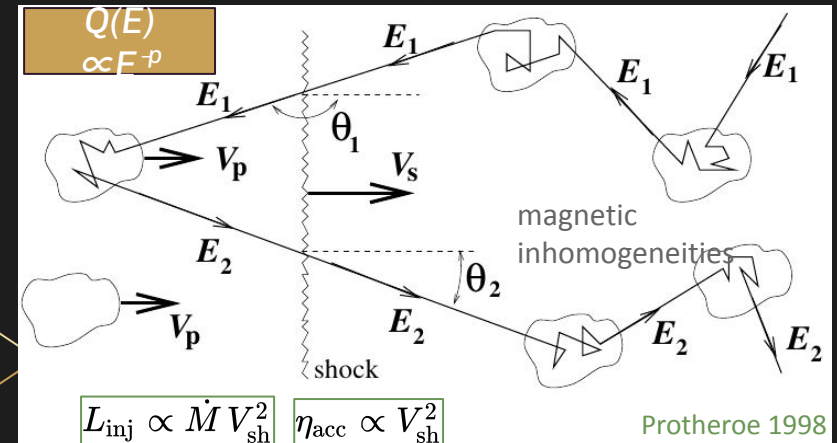
Shocks

A perturbation that propagates with a supersonic speed generates a shock wave. The bulk kinetic energy of the fluid is converted into internal energy in the shocks.

The shock compresses and heats the gas

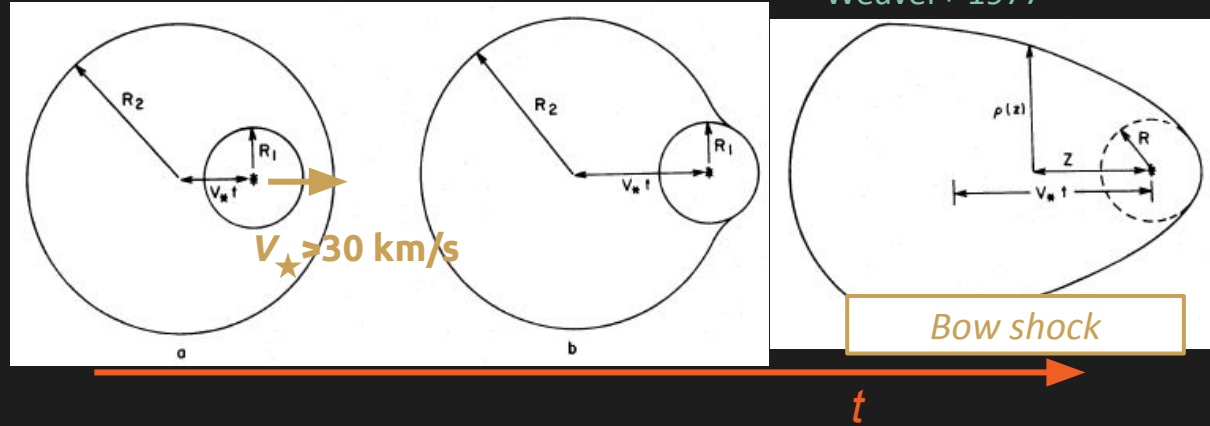


Diffusive (shock) acceleration of particles



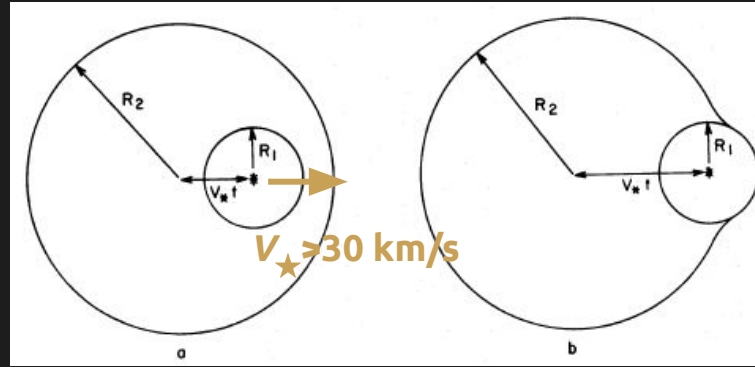
Stellar bowshocks

Spherical wind +
supersonic stellar
motion (w.r.t. its
environment) =
stellar bow shock

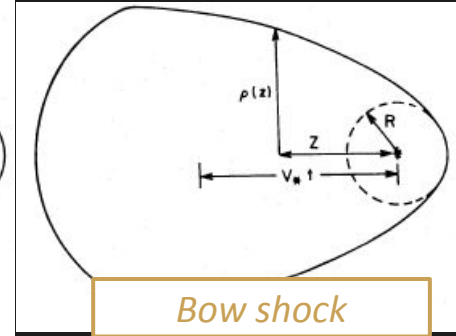


Stellar bowshocks

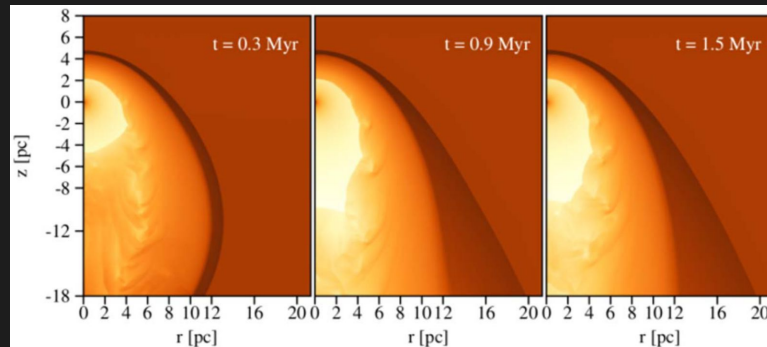
Spherical wind +
supersonic stellar
motion (w.r.t. its
environment) =
stellar bow shock



Weaver+ 1977



Bow shock

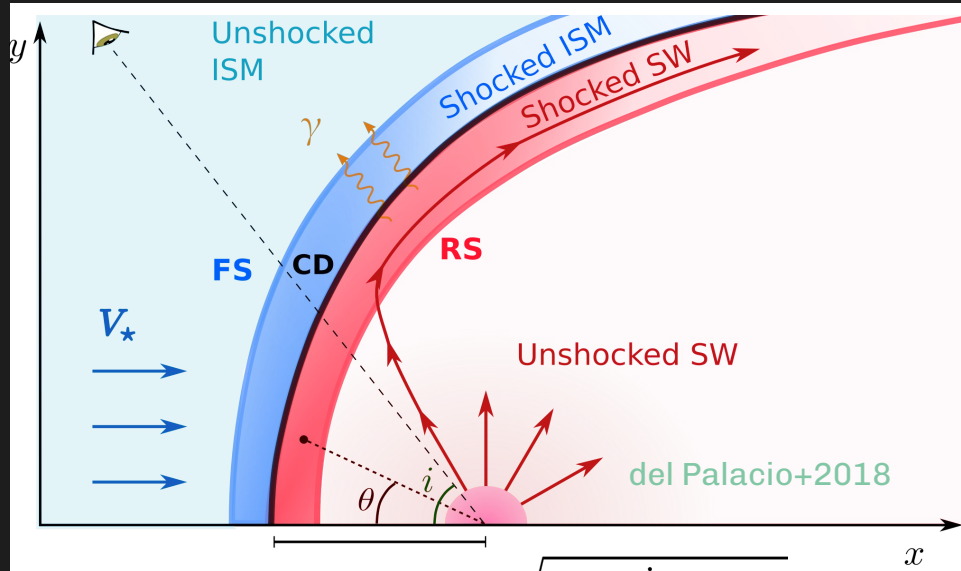


del Valle+ 2018

Stellar bow shocks

- **FS** = slow, dense (f-f, dust, lines)
- **RS** = fast (non-thermal emission, X-rays?)

This structure is embedded within an HII region.



$$R_0 = \sqrt{\frac{\dot{M}v_\infty}{4\pi\rho_{\text{ISM}}(V_*^2 + c_s^2)}}$$



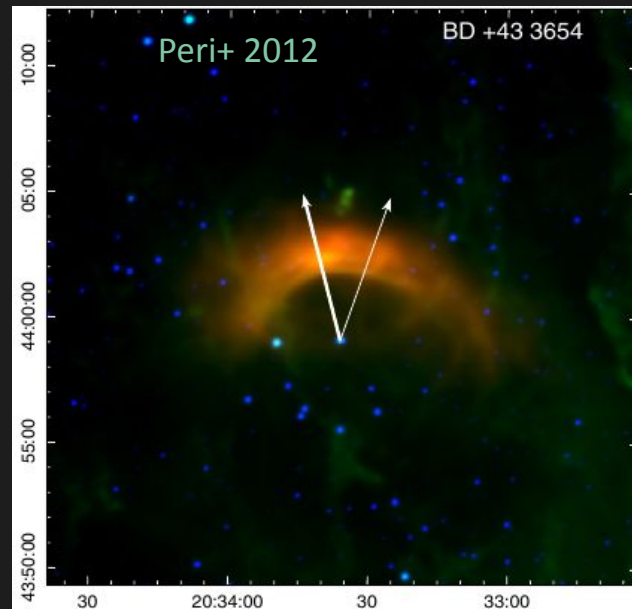
Stellar bow shocks

Runaway stars represent a significant fraction (~10-20%) of massive stars of spectral type O (Maíz Apellániz+ 2018).

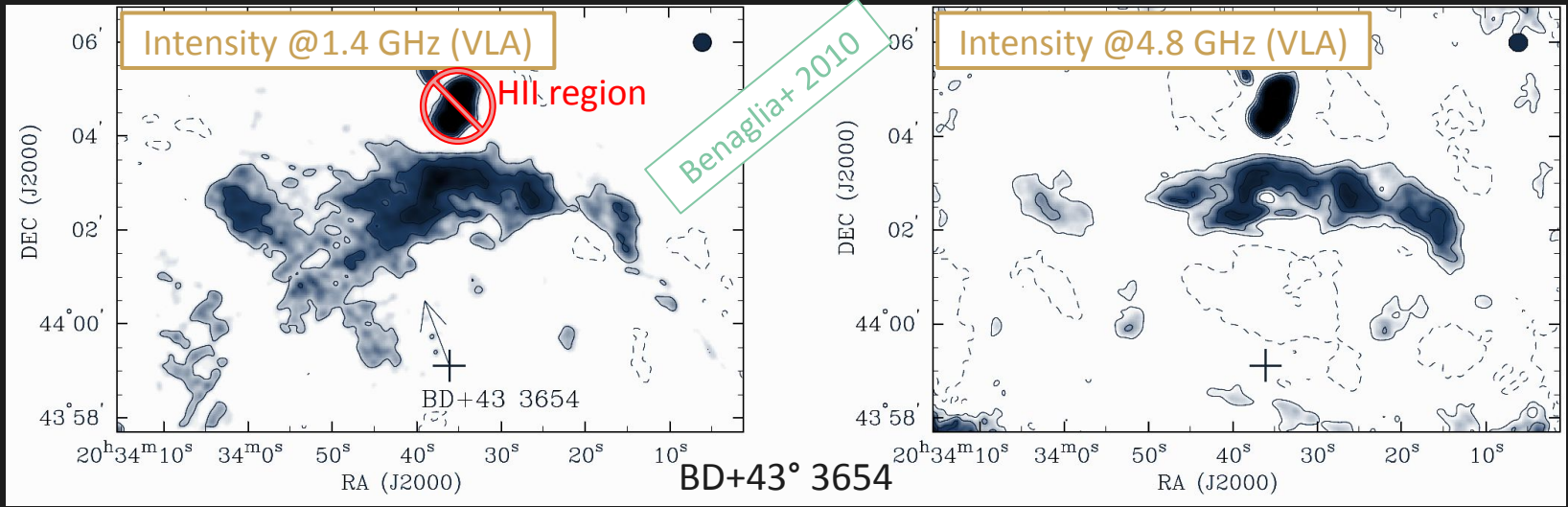
The main tracer of bow shocks is the IR emission from heated dust (also optical lines, e.g. H_{α}):

Peri+ 2012 (2015) → Catalogue of 28 (45) objects.

Kobulnicky+ 2017 → Catalogue of 709 objects.



Observations

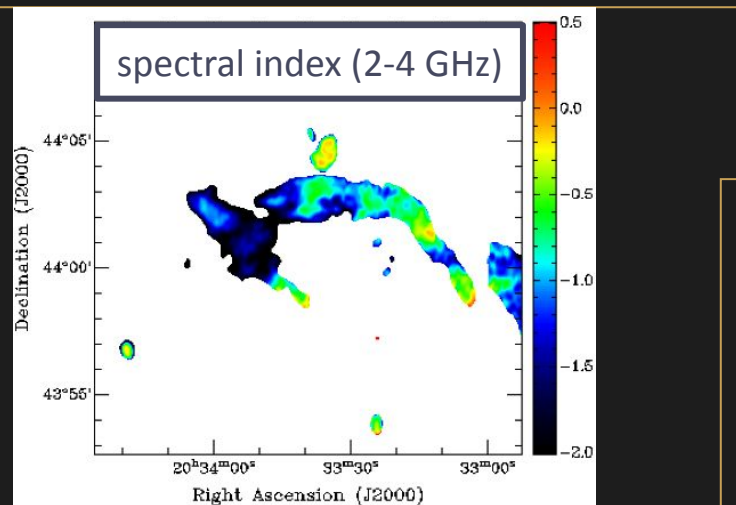
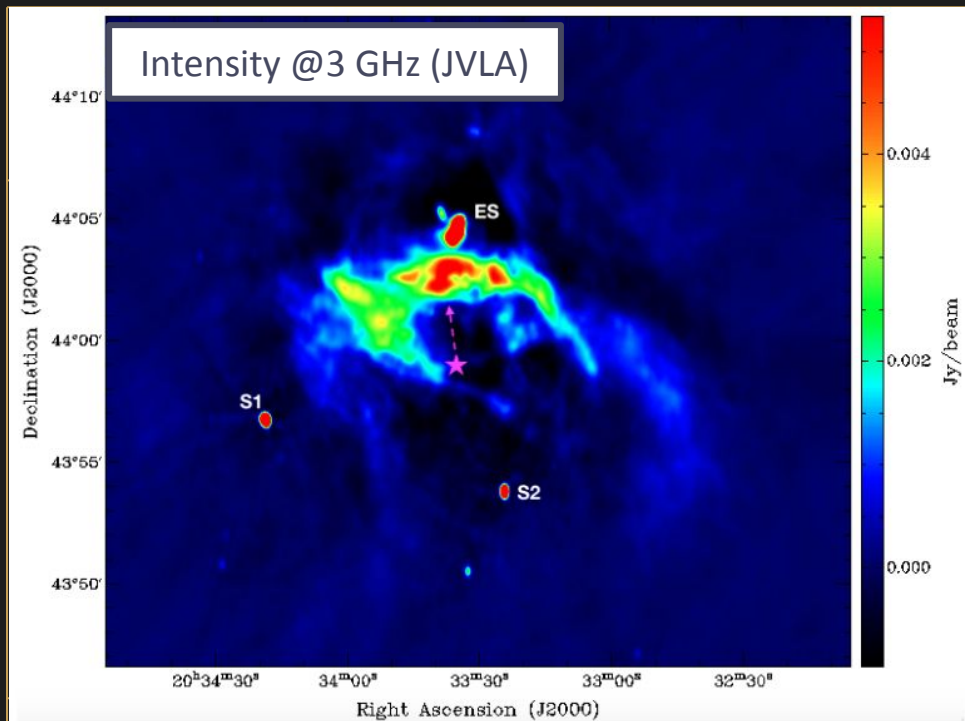


The first stellar bowshock with detected **non-thermal** radio emission: $\langle\alpha\rangle = -0.5$.

Issue: missing flux?



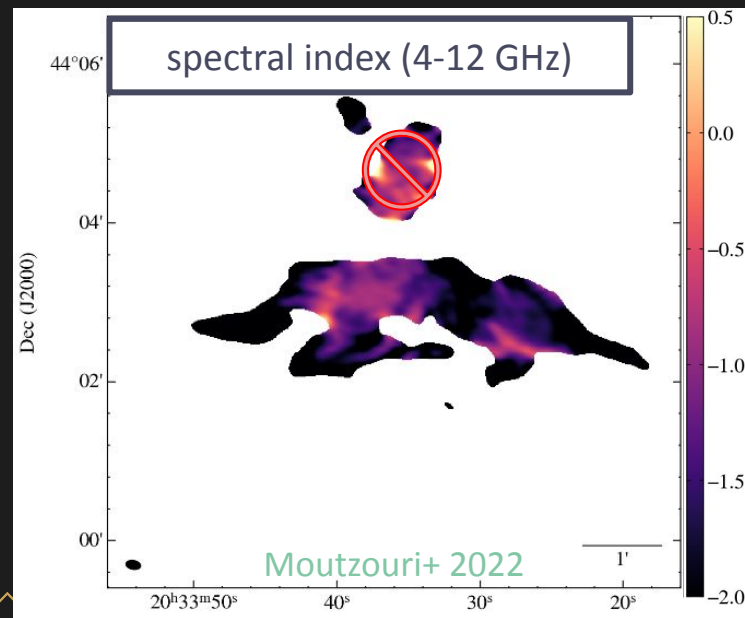
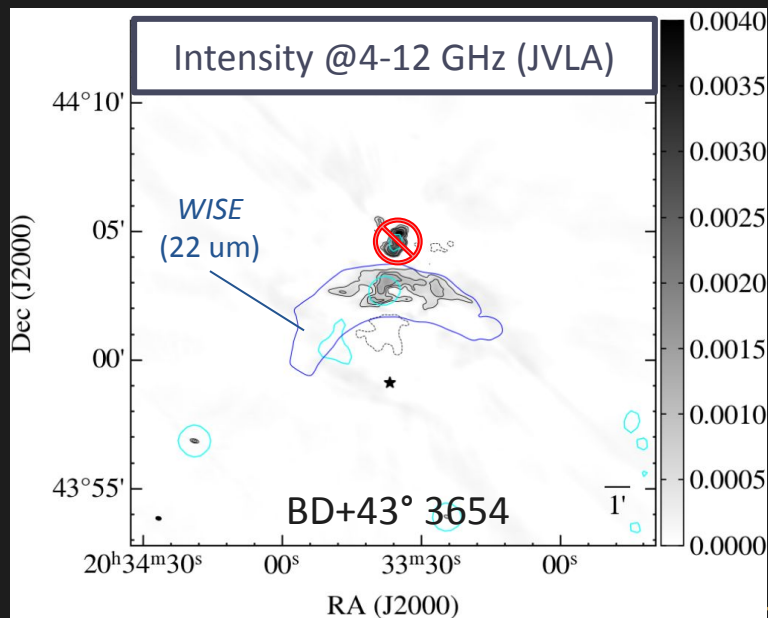
Observations



- Significant diffuse and soft ($\alpha < -1$) emission, previously undetected.
- Lack of polarisation in the synchrotron emission ($< 0.5\%$)

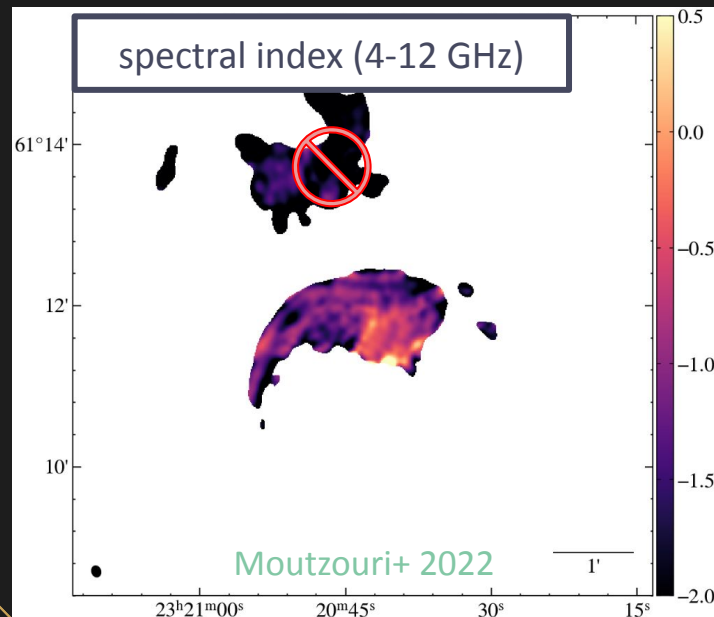
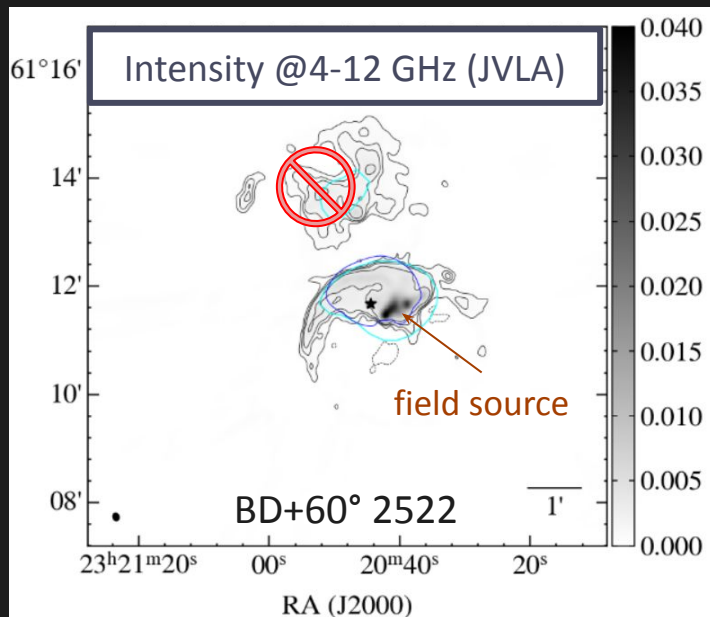
Observations

More observations of BD+43° 3654 (still missing flux)



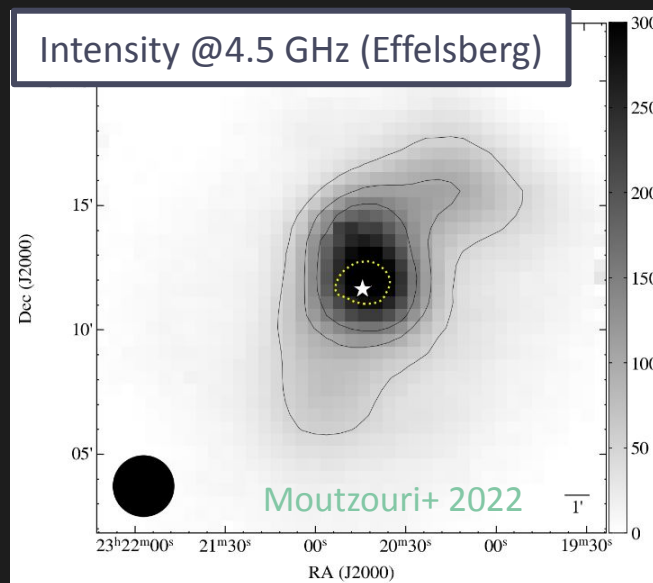
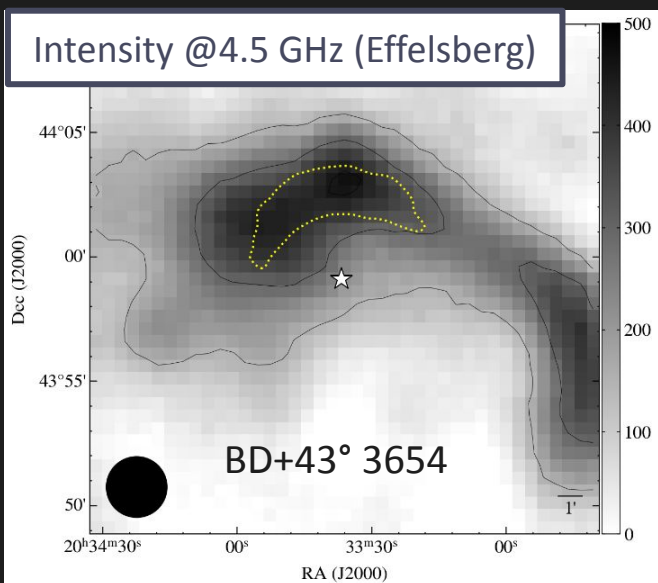
Observations

2nd non-thermal bowshock detected



Observations

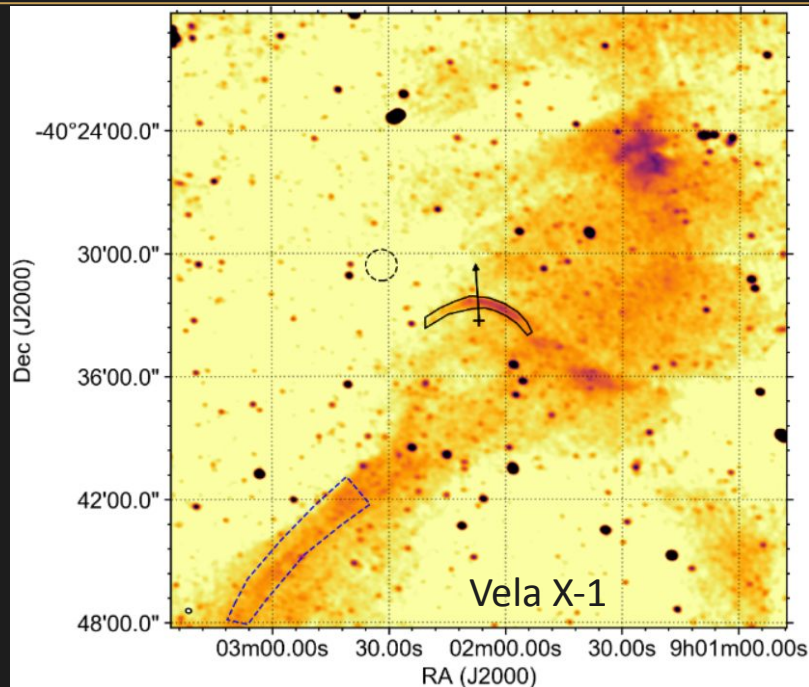
Single-dish observations with Effelsberg. Issue: too much contamination!



Observations

MeerKAT detection of the bow shock of Vela X-1 at 1.4 GHz (Van den Eijnden+ 2021)

Low S/N, no spectral information
→ Not clear if it is synchrotron emission

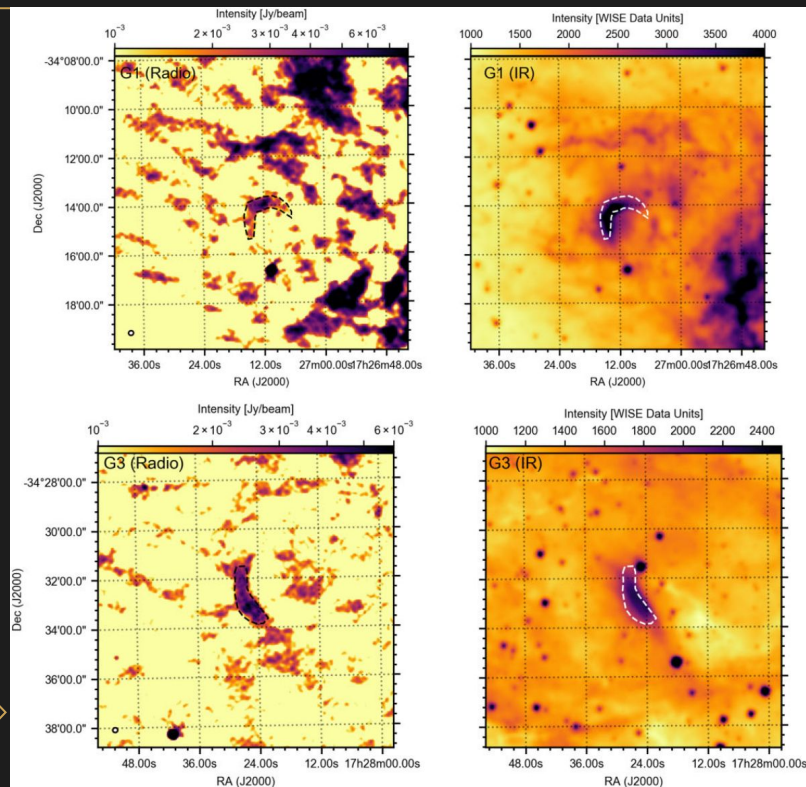


Observations

Systematic search for radio counterparts of stellar bow shocks in the RACS survey (ASKAP @887 MHz; Van den Eijnden+ 2022).

Low S/N, no spectral information

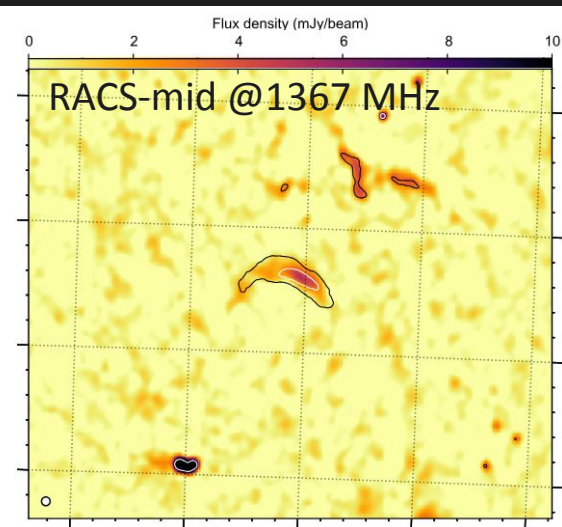
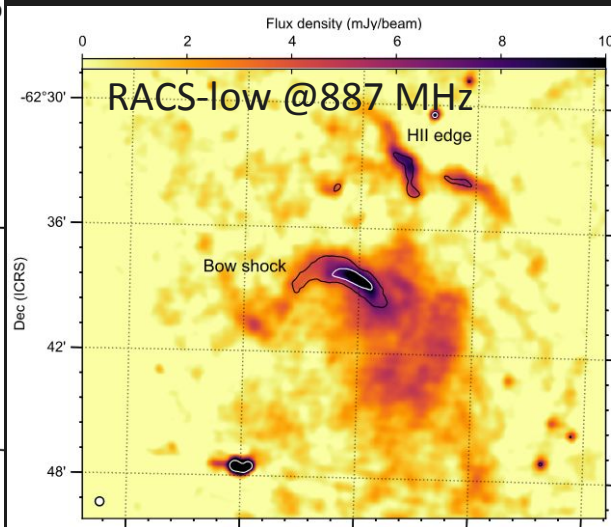
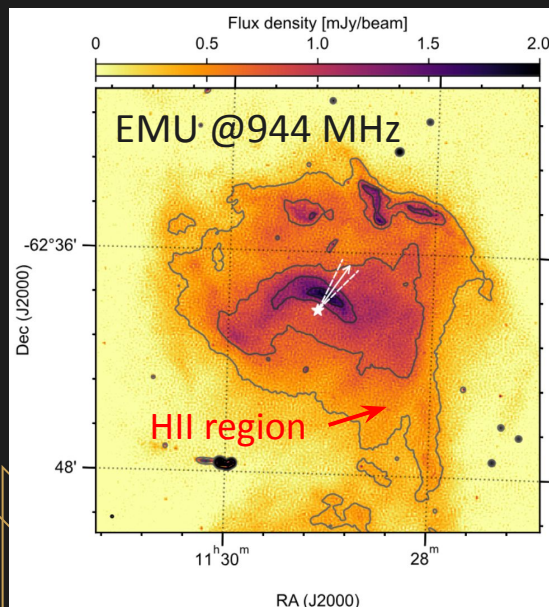
→ Not clear if it is synchrotron emission



Observations

Van den Eijnden+ 2024: detection of LS 2355 with ASKAP surveys.

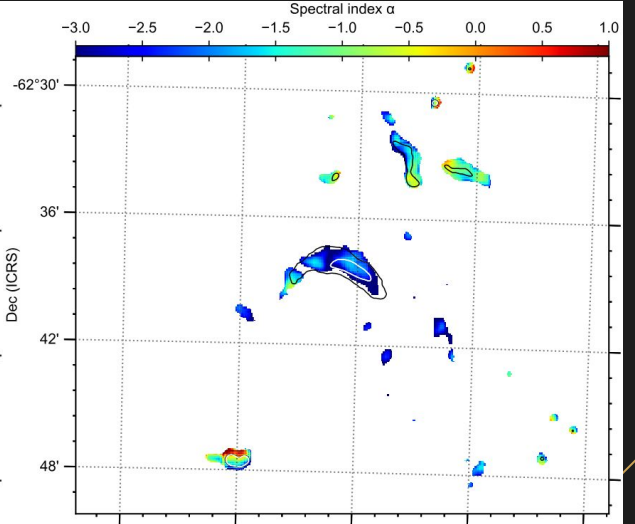
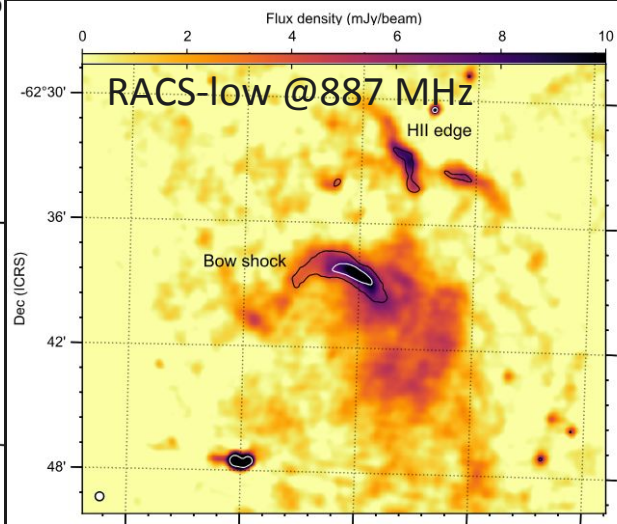
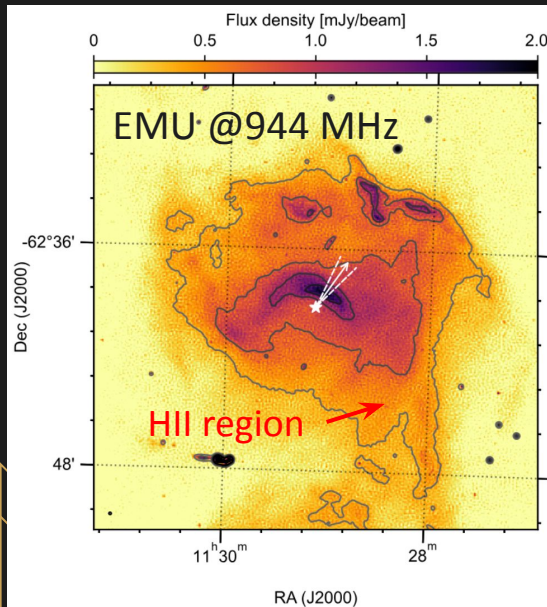
Issue: Unreliable spectral indices ($\alpha < -2 \rightarrow$ missing flux, need more short baselines)



Observations

Van den Eijnden+ 2024: detection of LS 2355 with ASKAP surveys.

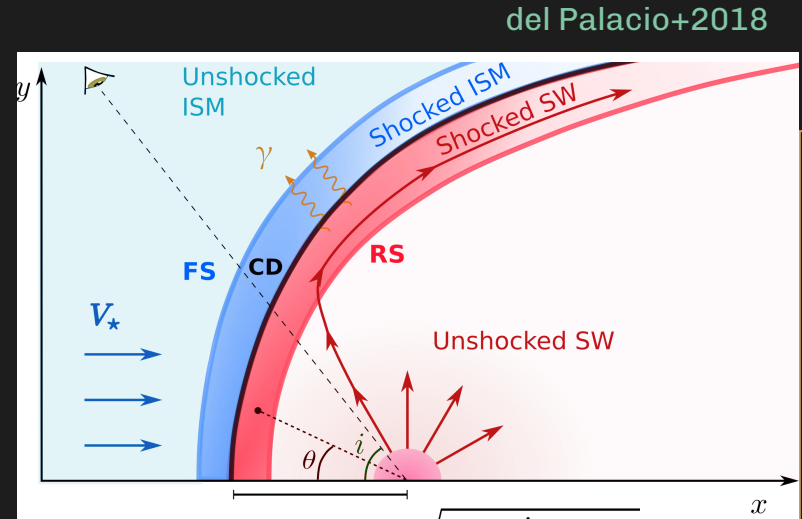
Issue: Unreliable spectral indices ($\alpha < -2 \rightarrow$ missing flux, need more short baselines)



Non-thermal emission model

1. Bowshock = axisymmetric shell
2. **RS** adiabatic and laminar flow
3. NT particles accelerated in the RS → NT emission (sync., IC, p-p)
4. Free parameters: B -field intensity and fraction of energy injected in relativistic particles (f_{NT}); projection angle in the sky (i)
5. B in the bow shock → B in stellar surface:

$$B(\theta) = [\zeta_B 8\pi P(\theta)]^{1/2} \rightarrow B_\star = 0.25 B(\theta) (R(\theta)/R_\star) (v_\infty/v_{\text{rot}})$$

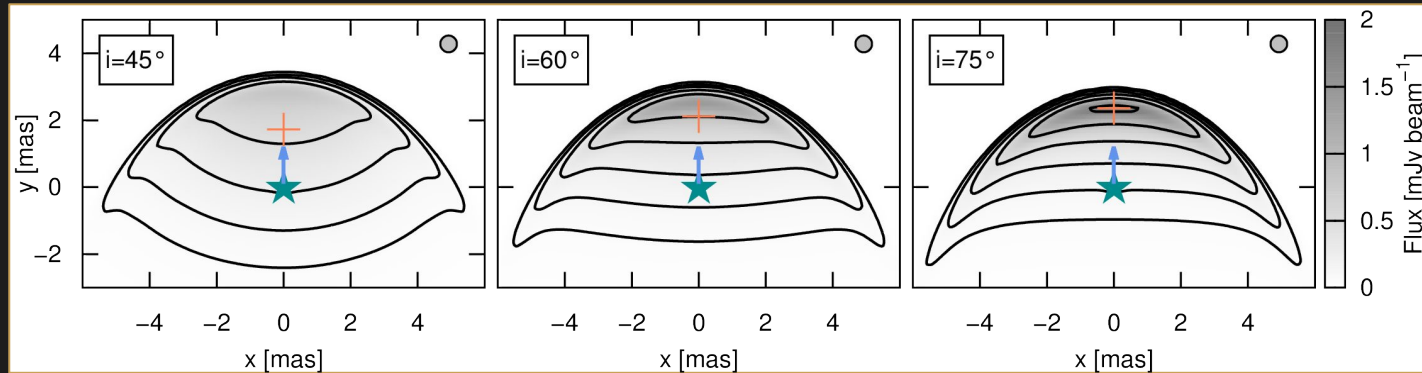


$$R_0 = \sqrt{\frac{\dot{M}v_\infty}{4\pi\rho_{\text{ISM}}(V_\star^2 + c_s^2)}}$$



Stellar bow shocks

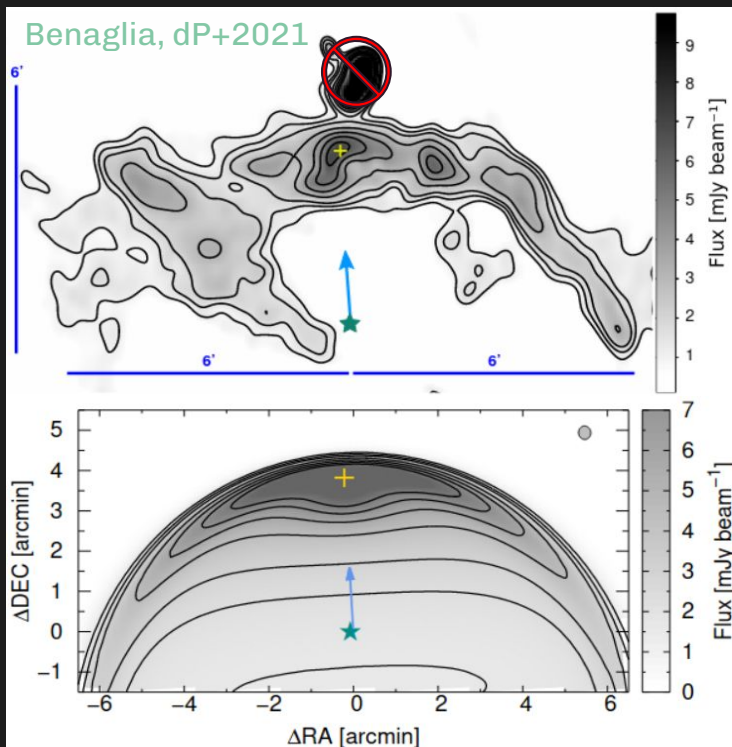
Face on ← del Palacio+2018 → Edge on



Synthetic emission maps (convolving with a gaussian beam)



Results



Using our non-thermal emission model we could:

- Estimate the projection angle on the sky ($i \approx 60^\circ$).
- Constrain the magnetic field intensity and the fraction of power converted to non-thermal particles:

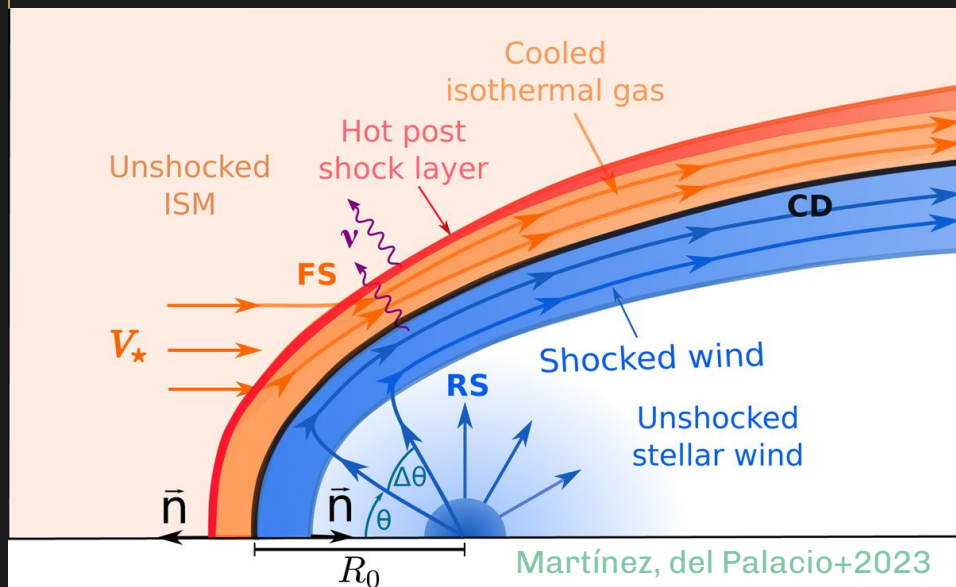
$$B_{\text{WCR}} \sim 35 - 100 \mu\text{G} \longrightarrow B_{\star} \leq 360 \text{ G}$$
$$f_{\text{NT,e}} \approx 1\% - 10\%$$

The degeneracy between these two parameters cannot be solved with radio data alone

We need detections at high energies (X/ γ -rays)

Extended emitter model

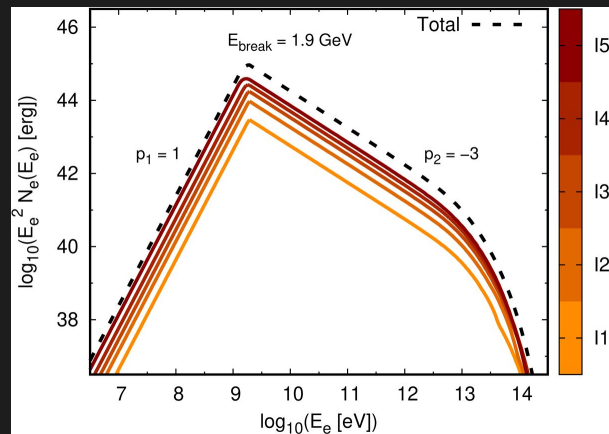
Upgrades: Inclusion of **free-free emission from the FS** + detailed modelling of the low-frequency emission



Additional free parameters:

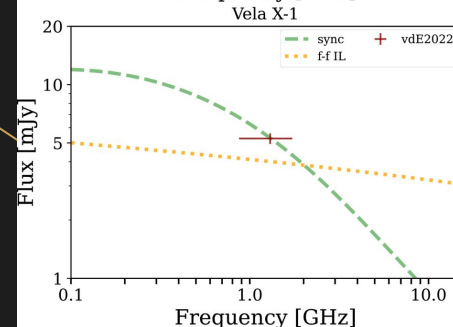
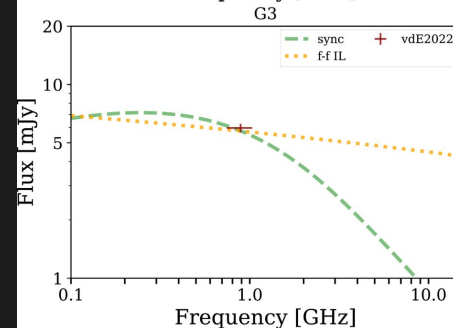
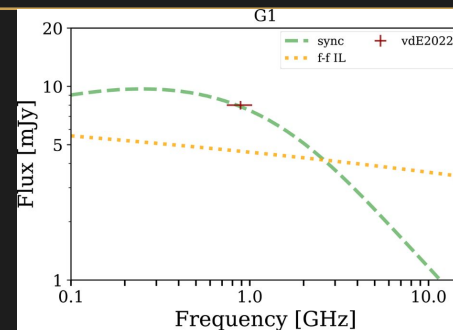
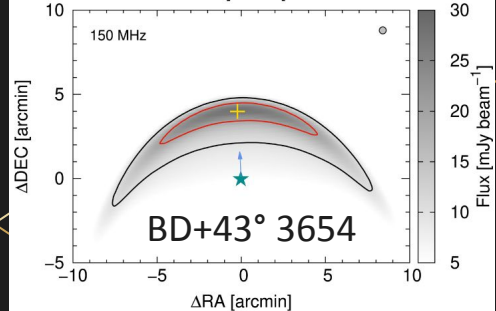
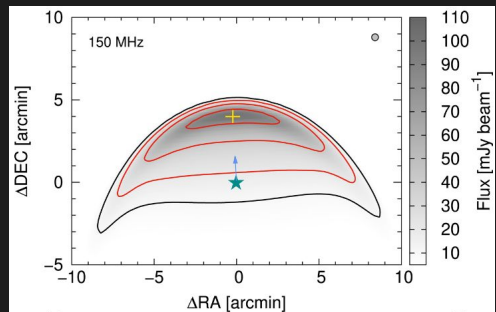
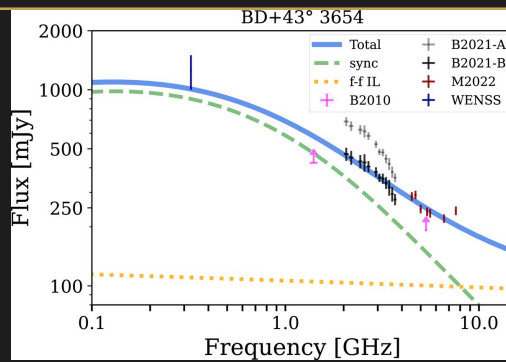
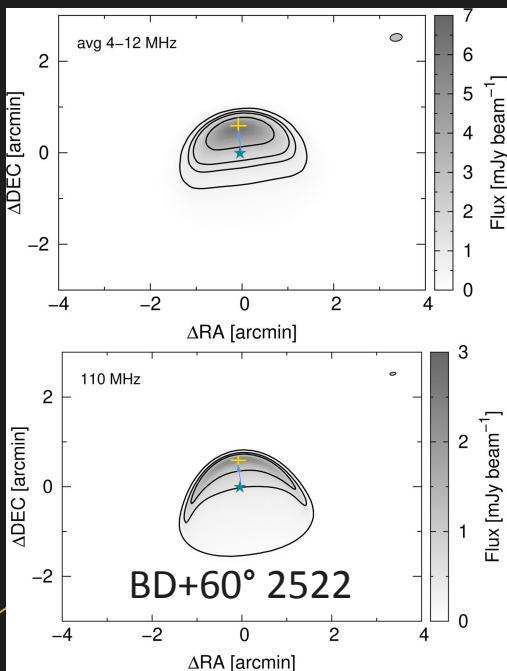
* Thickness of the isothermal layer

* E_{break} in the electron energy distribution



Results

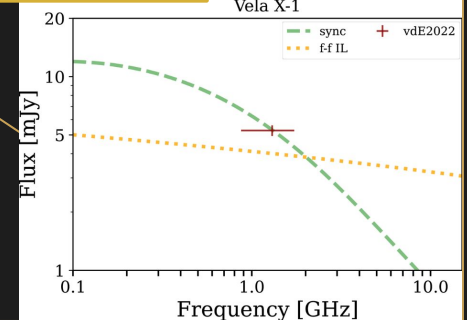
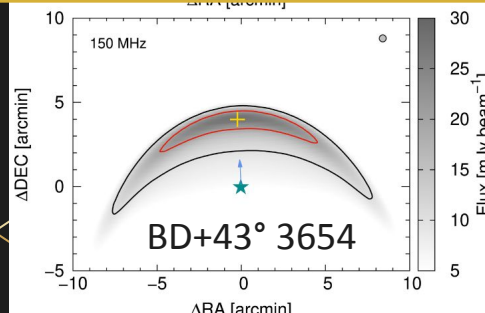
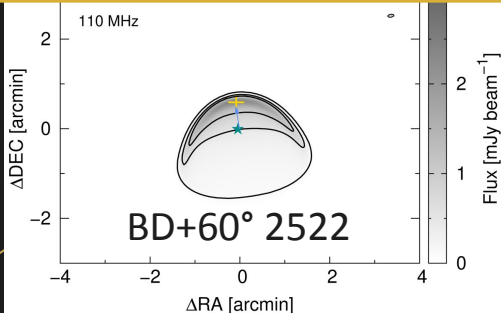
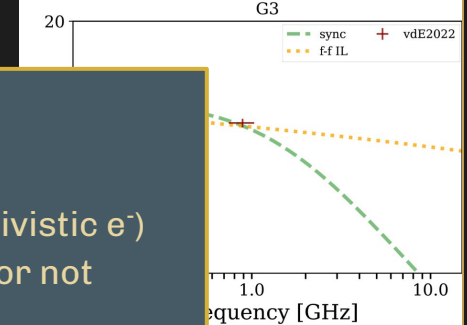
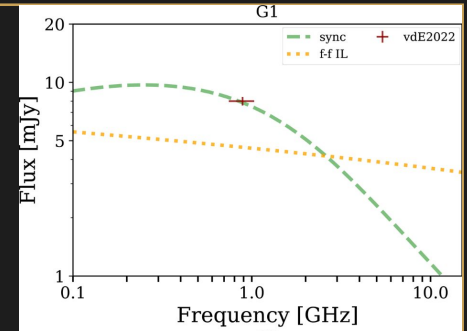
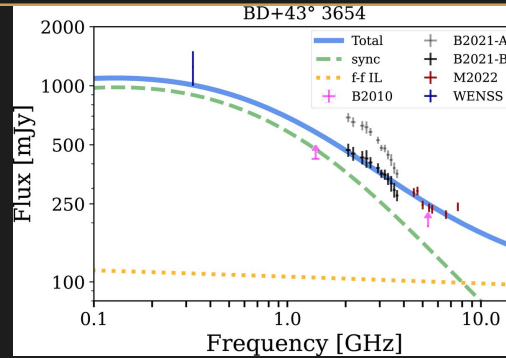
Martínez, del Palacio+2023



Results

Martínez, del Palacio+2023

- Hard e^- distribution at $E < 1$ GeV
- High magnetic-to-thermal pressure ratio ~ 0.2
- High efficiency of electron acceleration (1-5% of P_w into relativistic e^-)
- In some sources it is not clear if the radio emission thermal or not



Conclusions

- ◇ **Stellar bow shocks** are emerging as a class of **non-thermal sources**.
- ◇ **Low-frequency radio observations are ideal** to probe their synchrotron emission. SKA unprecedented sensitivity at different spatial scales can be a game-changer to obtain reliable fluxes and spectral indices in faint sources.
- ◇ Detailed **modelling** allow us to characterize the **physical properties of the bow shocks** (kinetic power, magnetic fields, particle-acceleration efficiency...).
- ◇ **Synergy between observations at radio and high-energies** (X-rays and γ -rays).

santiago.delpalacio@chalmers.se

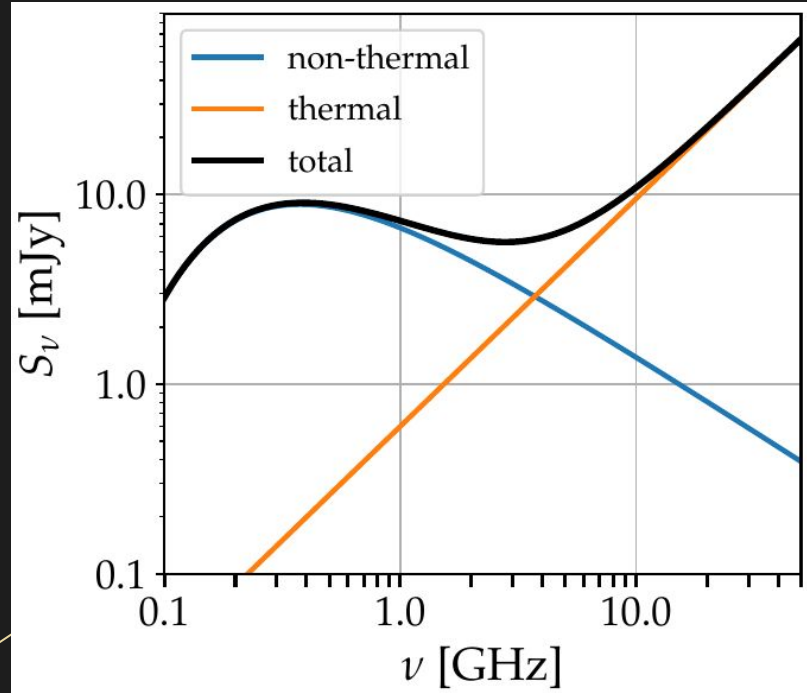




Thanks!

Radio continuum SED

- Plasmas also produce thermal emission → composite spectrum.
- **Non-thermal emission dominates the SED at low frequencies.**
- A wide frequency coverage is important to disentangle the different components.



Typical radio SED of a source

Relativistic particle acceleration

Diffusive shock acceleration

Converts kinetic energy into internal energy. Requires strong shocks.

Magnetic reconnection

Converts magnetic energy into internal energy. Requires strong magnetic fields (+ topology + turbulence...)

Injected spectrum $\longrightarrow Q(E) = Q_0 E^{-p} \times \exp(-E/E_{\max})$

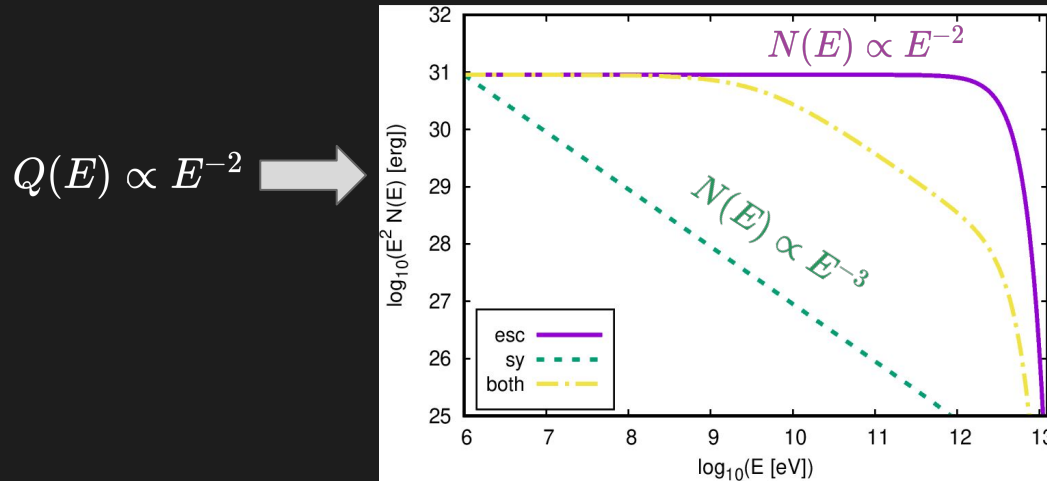
Free parameters:

- Normalisation constant Q_0 (how much power is given to relativistic particles)
- Spectral index ($p \approx 2 - 2.2$)
- Maximum particle energy (acceleration efficiency + cooling/escape processes)

Particle energy distribution

From the injection function $Q(E,r,t)$ one can obtain the evolution of the particle energy distribution $N(E,r,t)$ by solving a transport equation that takes into account particle cooling and transport (escape).

Typically, $N(E)$ is also a power law.



$Q(E)$



$N(E)$



$L(E)$

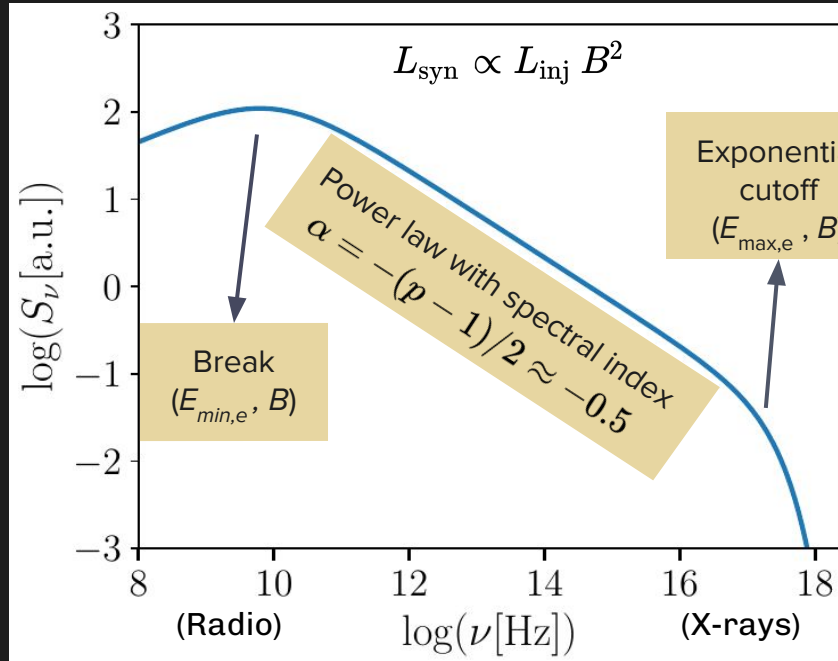


$F(E)$

Inverse
problem

The emitted spectrum depends on $N(E)$, not $Q(E)$

Radiative processes: synchrotron



Electrons radiate in the presence of a magnetic field. This emission is intrinsically **polarised**.

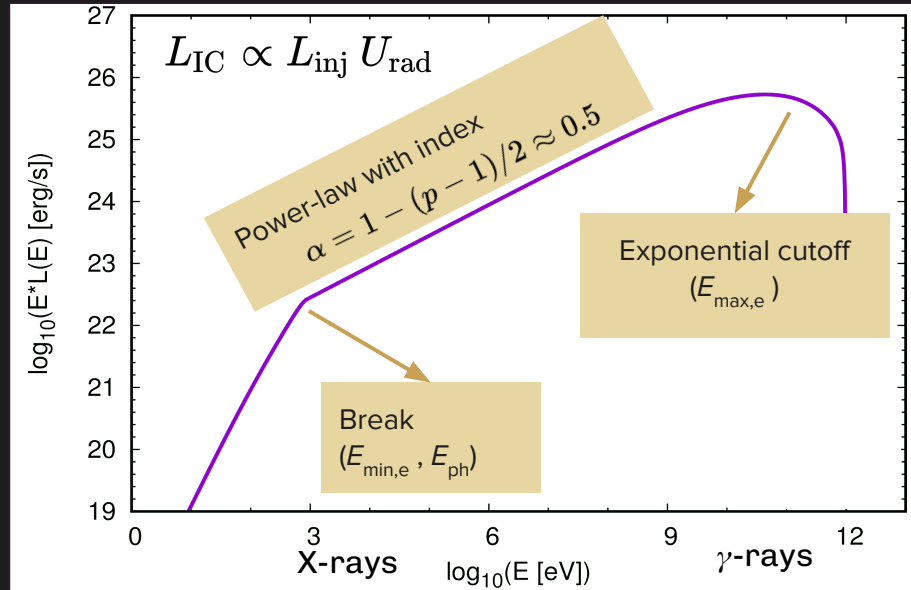
Studying the synchrotron SED can give insight on the **relativistic particle energy distribution** ($N(E)$) and the **magnetic fields** in the source.

$$\nu_{\text{sy}} \propto B E^2$$

Typical intrinsic synchrotron SED

Radiative processes: Inverse Compton

A relativistic electron up-scatters a low energy photon (e.g., from a star) to higher energies (hard X-rays/ γ -rays)



Results

The dependence of the emitted luminosity w.r.t. the system parameters shows that the best candidates are defined by the stellar wind properties rather than the medium (del Palacio+2018)

Radio emission

$$\longrightarrow L_{\text{sy}} \propto \dot{M}_{\text{w}}^{1.5} v_{\text{w}}^{1.5} n_{\text{ISM}}^{0.5} v_{\star}$$

γ -ray emission

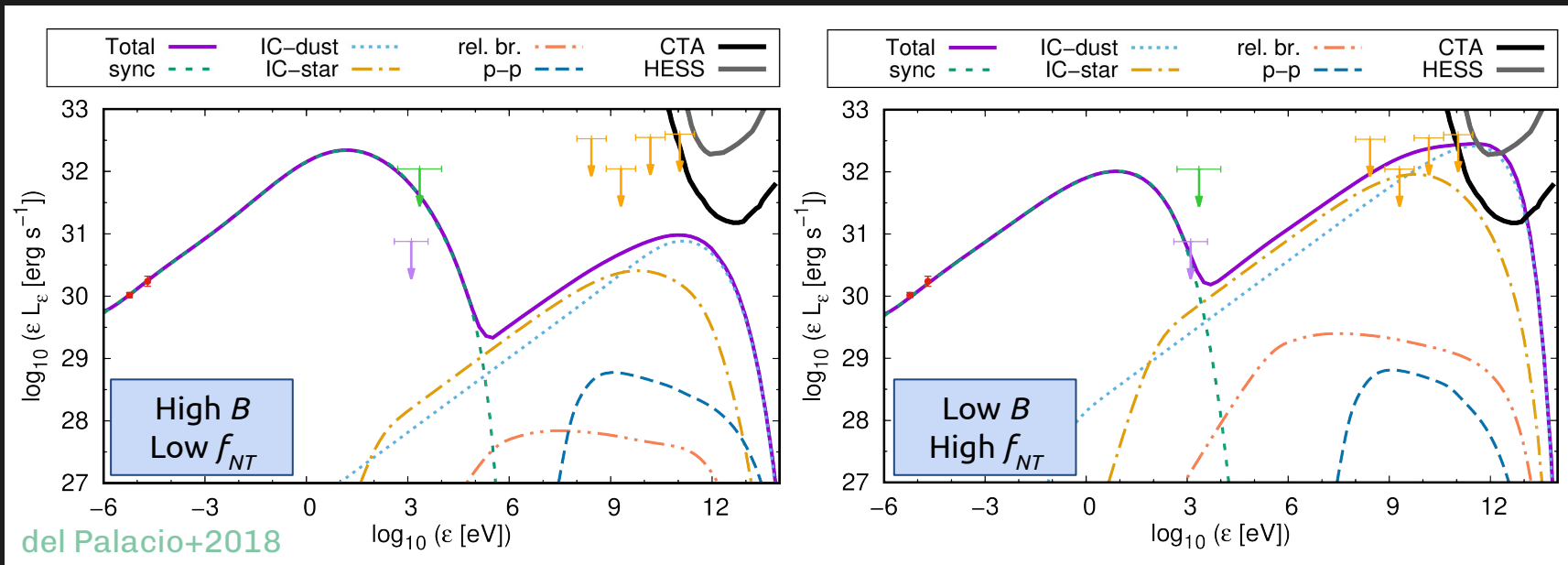
$$\longrightarrow L_{\text{IC}} \propto \dot{M}_{\text{w}}^2 v_{\text{w}} n_{\text{ISM}}^{0.5} v_{\star}$$

Best radio emitters \neq
best γ -ray emitters

$$\longrightarrow \frac{L_{\text{radio}}}{L_{\gamma}} \propto \left(\frac{v_{\text{w}}}{\dot{M}_{\text{w}}} \right)^{0.5}$$

Results

Breaking the degeneracy: predictions for the high-energy SED

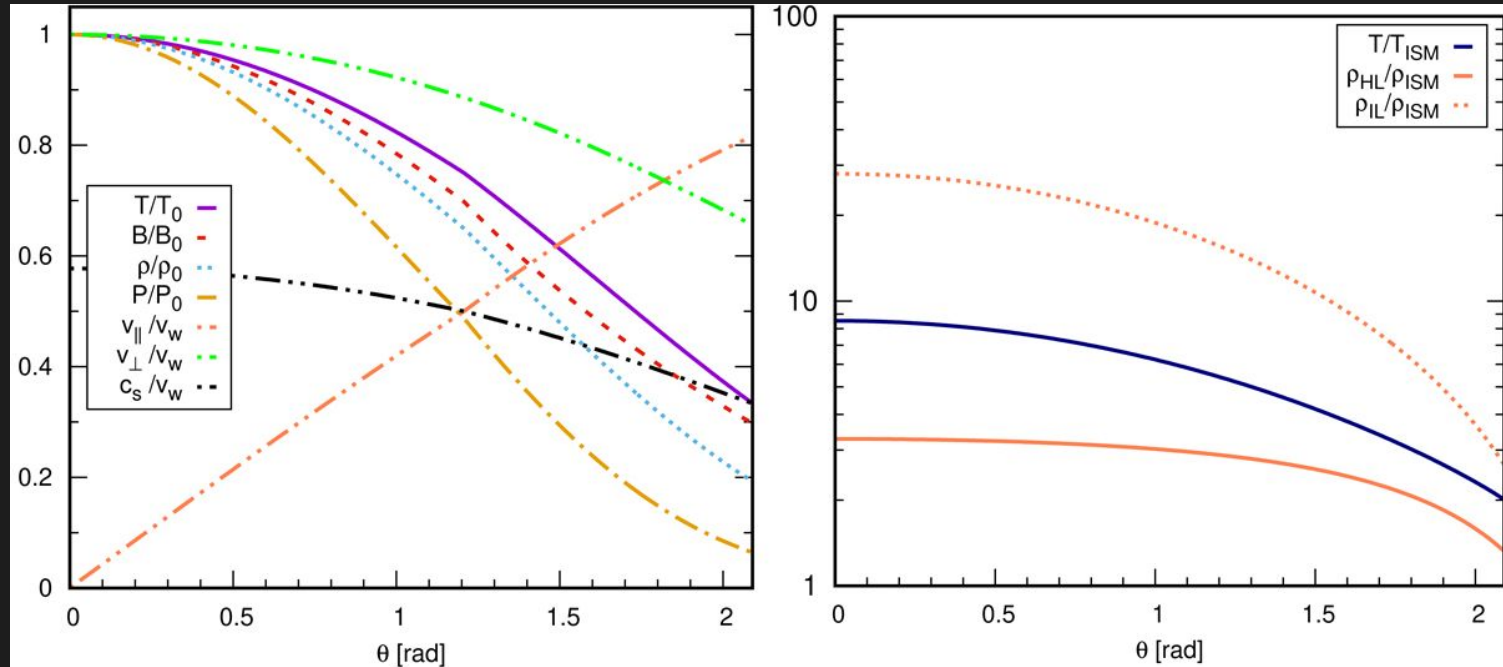


Higher B = less emission at high energies

Results

Thermodynamical quantities along the bow shock

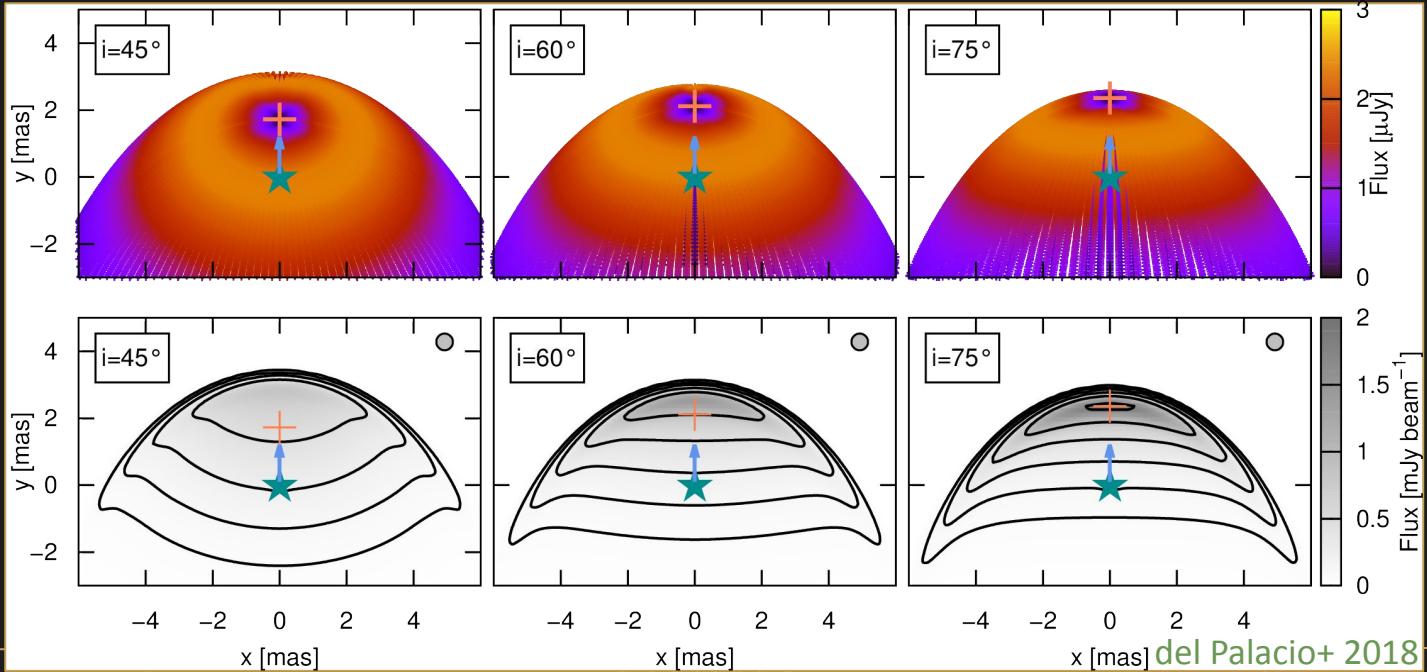
(normalized to quantities at the stagnation point, except the velocities which are normalized to v_w)



Stellar bow shocks

Face on ←

→ Edge on



Synthetic emission maps before (top) and after (below) convolving with a gaussian beam

Gamma-ray emission?

Sánchez-Ayaso+2018 suggested the possible association of two stellar BSs with unidentified Fermi sources

